

# EFFECTS OF HYPERON IN BINARY NEUTRON STAR MERGERS

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Yukawa Institute for Theoretical Physics Yuichiro Sekiguchi (HPCI Collaboration) with K. Kiuchi, K. Kyutoku, & M. Shibata

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## PROPERTIES OF DENSE MATTER

- Still poorly understood
- There may be <u>exotic</u> phases at high densities (Pauli principle)
  - Meson cond., Quarks, Hyperons, ...
- How to constrain equation of state (EOS) of neutron star (NS) matter

- Popular methods
  - Mass-Radius relation
  - Maximum mass of NS
     Strong impact by PSR J1614-2230
- Existence of exotic phases remains unconstrained



## NUMERICAL STUDIES EXPLORING EXOTIC PHASES

### Stellar Core Collapse

- Quarks (Nakazato+ 2008,2010; Sagert+ 2009; Fischer+ 2011)
- Hyperons (Sumiyoshi+ 2009)

### Binary Neutron Star (BNS) Merger

- Not yet studied in detail
- Parametric Study (Hotokezaka+ 2011), Bauswein+ 2011

### o <u>This Study</u>

- The first full GR simulations for BNS merger with finite temperature EOS with <u>Λ hyperons</u>
  - Λ hyperons are believed to appear first because they are lightest and feel an <u>attractive potential</u> (e.g. Ishizuka+ 2008)
  - Σ hyperons feel a <u>*repulsive potential*</u> and will not appear at lower densities (Noumi+ 2002)

### Key Question:

 Is it possible to tell the existence of Λ hyperons by observations of Neutrino and Gravitational-Wave (GW) signals ?

## EQUATIONS OF STATE (EOS)

- H-EOS: EOS with A hyperons (Shen+ 2011: ShenHyp)
- S-EOS: 'normal' nucleonic matter EOS (Shen+ 1998)
  - Both based on the relativistic mean field theory
- At T=0, A hyperons appear at  $\rho\sim a\,$  few  $\rho nuc$  , and  $X_\Lambda$  increases as density and  $\underline{temperature}$  increase
- Due to the appearance of A hyperons, the maximum mass of the cold spherical NS is decreased



## BASIC EQUATIONS & INITIAL CONDITION

### o <u>Einstein's equations</u>: Shibata-Nakamura (BSSN) formalism

- 4<sup>th</sup> order finite difference in space, 4<sup>th</sup> order Runge-Kutta time evolution
- Gauge conditions : 1+log slicing, dynamical shift

## • GR Hydrodynamics with GR Leakage Scheme (Sekiguchi 2010)

- EOM of Neutrinos
- Lepton Conservations
- Weak Interactions
  - e<sup>±</sup> captures, pair annihilation, plasmon decay, Bremsstrahlung
- A detailed neutrino opacities
- BH excision technique
- High-resolution-shock-capturing scheme

### Initial condition

Equal mass BNS with individual mass of 1.35, 1.5, 1.6 Msolar

$$\nabla_{a}T_{b}^{a} = -Q_{b}^{(\text{leak})}, \quad \nabla_{a}T_{b}^{a \ (\nu,\text{stream})} = Q_{b}^{(\text{leak})}$$

$$\frac{d Ye}{dt} = -\gamma_{e-\text{cap}} + \gamma_{e+\text{cap}}$$

$$\frac{d Yv_{e}}{dt} = \gamma_{e-\text{cap}} + \gamma_{\text{pair}} + \gamma_{\text{plasmon}} + \gamma_{\text{Brems}} - \gamma_{\nu_{e}\text{leak}}$$

$$\frac{d Y\overline{v_{e}}}{dt} = \gamma_{e+\text{cap}} + \gamma_{\text{pair}} + \gamma_{\text{plasmon}} + \gamma_{\text{Brems}} - \gamma_{\overline{\nu_{e}}\text{leak}}$$

$$\frac{d Yv_{x}}{dt} = \gamma_{\text{pair}} + \gamma_{\text{plasmon}} + \gamma_{\text{Brems}} - \gamma_{\nu_{x}\text{leak}}$$

### MERGER DYNAMICS: HYPERON EOS CASE

#### • Hyper massive NS (HMNS) first forms and eventually collapses to BH

- As HMSN shrinks, density and temperature increase and consequently more hyperons appear, making EOS more softer
- After the BH formation, a massive accretion disk (~0.08 Msolar) is formed ⇒ short GRB ?



Density [ log10 g/cc]





### NEUTRINO LUMINOSITIES

- There is no difference except for the duration until the BH formation
  - Effects of hyperons are significant in the central region where neutrino diffusion time is very long, and swallowed into BH
- Difficult to tell the existence of hyperons using the neutrino signals alone



### **GRAVITATIONAL WAVEFORMS**

- For the same mass models, GWs from inspiral phase agree well
- GWs damp steeply at BH formation
- <u>Characteristic GW frequency for the hyperon model increases with time</u> (although GWs for H135 and S16 look similar) ⇒ see the GW spectra



### **GRAVITATIONAL-WAVE SPECTRA**

- Nucleonic models show prominent peak associated with GWs from HMNS
- o In Hyperonic models, the peak is weakened and broadened
  - Reflecting the short lifetime of HMNS and <u>the frequency shift</u>



### FREQUENCY SHIFT DUE TO HYPERON

- Dynamics of HMNS formed after the merger
  - <u>Nucleonic</u> : HMNS shrinks by angular momentum loss due to GW emission in a long timescale
  - <u>Hyperonic</u>: GW emission ⇒ HMNS shrinks ⇒ More Hyperons appear ⇒ EOS becomes softer ⇒ HMNS shrinks more ⇒ ....
  - <u>As a result, the characteristic frequency of GW increases with time</u>
     o Providing potential way to tell existence of hyperons (exotic particles)



### SUMMARY

- We performed the first numerical-relativity simulations of BNS merger incorporating a finite temperature EOS with hyperons
- Existence of hyperons are imprinted in GWs
  - The characteristic GW frequency increases in time
  - which stems from Nucleonic-to-Hyperonic Transition
  - Providing potential way to tell existence of hyperons by GW obs.
- It is difficult to constrain EOS by neutrino signals only
  - <u>Effects of hyperons are significant in the central high density</u> region which is swallowed into BH

### PROSPECTS

Gravitational Waves from Hadron-Quark Transition

- Second order phase transition
  - $\bullet \Rightarrow$  Frequency shift (as in hyperon case)
- First order transition

### $o \Rightarrow$ Double peaked GW spectrum is expected:

One associated with NS and the other with Quark star







### DISK MASS

• Disk mass is smaller for the hyperonic EOS models

- Shorter time for angular momentum transport
- HMNS formed after the merger is more compact



## FINAL FATE AFTER THE MERGER

• Maximum NS mass :  $M_{NS,max} = M_{NS,max}^{cold} + \Delta M_{rot}^{rigid} + \Delta M_{rot}^{diff} + \Delta M^{th}$ 

- *M*<sup>cold</sup><sub>NS,max</sub> : maximum mass of spherical NS at T = 0, depends on EOS
   <u>Recent observational lower bound : 1.97 Msolar (Demorest et al. 2010)</u>
- $\Delta M_{\rm rot}^{\rm rigid}$  : effects of rigid rotation ~ O(10%)
- $\Delta M_{\rm rot}^{\rm diff}$  : effects of differential rotation typically ~ O(10%)
- $\Delta M^{\text{th}}$  : effects of finite temperature ~ O(10%)
- The maximum mass can be increased by 30 70 % compared to the cold maximum mass

### **REMARK: IMPORTANCE OF GR**

#### Van Riper (1988) ApJ 326, 235

$$P_n = K \rho_0 [(\rho/\rho_0)^{\gamma} - 1]/9\gamma \text{ MeV fm}^{-3}$$

Kolehmainen, K., Prakash, M., Lattimer, J., and Treiner, J. 1985,



